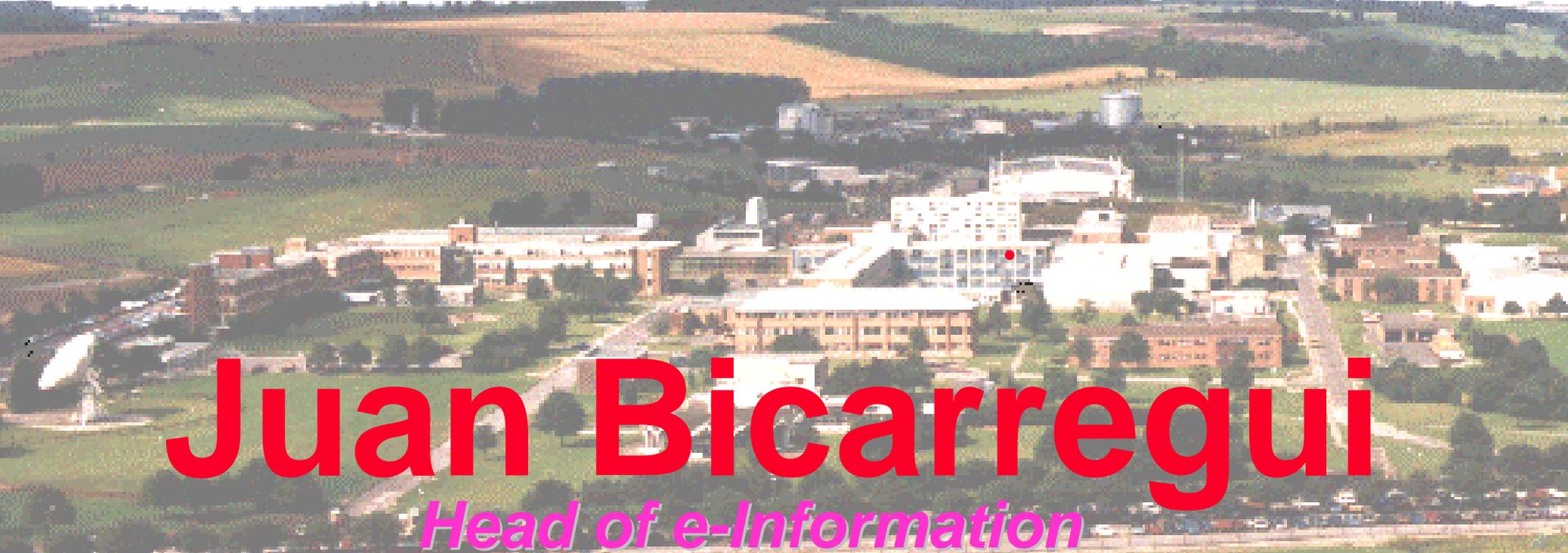


# Information Systems Research and Development at CCLRC

*Accelerating Innovation Through Technology Transfer*



**Juan Bicarregui**

*Head of e-Information*

**Rutherford Appleton Laboratory**

Council of the Central Laboratory of the Research  
Councils



# Who we are: CCLRC

## Facilities include:

- Neutron and Muon Source
- Synchrotron Radiation Source
- Lasers
- Microstructures
- Space Science
- Satellite Technology
- Solar Terrestrial Physics
- Molecular Spectroscopy
- High Performance Computing
- Wind Energy Research
- Information Technology
- Nuclear Physics
- Particle Physics
- Radio Communications
- Surfaces Transforms and Interfaces

## Also Spin-in/out Companies:

- Exitech (1984)
  - laser processing (50 Staff)
- Bookham Technology(1989)
  - optoelectronic (400, £3bn)
- UKERNA (1994)
  - Networking (60)
- Ceravision
  - displays (£30M)
- Neos Interactive
  - multimedia internet (£20M, 20)
- Petra(2000)
  - Medical Diagnostic (2)



**Who we are: e-Information**

# **Information Systems and Services**

- **Information Science and Engineering Group**  
*IS Research and Development*  
*EU & UK Research, In-house projects R&D, Private Sector R&D*
- **Information Services Group**  
*In house and commercial services*  
*Library, ERMS, Legal (Freedom of Information and data Protection Acts)*
- **W3 Group**  
*UK & Ireland W3C office, ERCIM, etc.*

# *Information Systems and Services Research Challenges*

- *e-Science*
- *e-Government*
- *Semantic Web*
- *Trusted e-Services*
- *Ambient Computing*



# *Information Systems and Services* *Research Themes*

- ❑ *Information Modelling and Analysis*



- ✓ *Security and Trust management*



- ❑ *Weband Grid Technology*





# Contents

- **The advert**
- **Two areas of research**
  - **Modeling Trust in e-Services**
  - **Semantics of information hiding**
- **Future work**



# **Trust in e-Services**

## **(Theo Dimitrakos)**

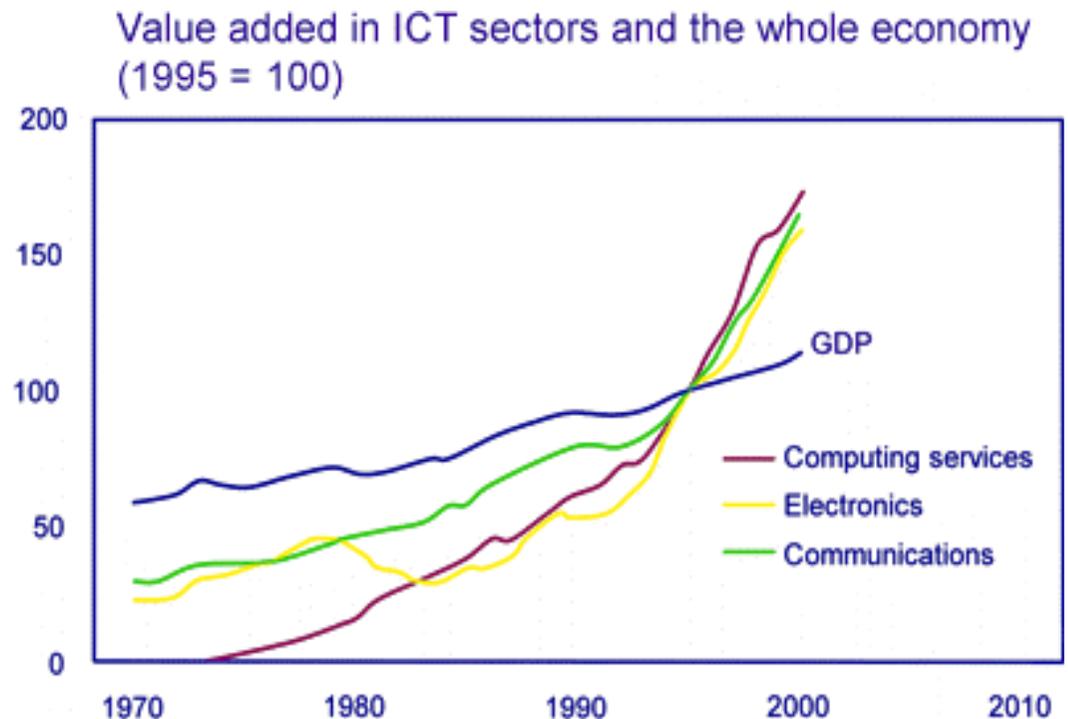
- motivation for modelling trust**
- some properties of trust in e-services**
- aims for trust management**



# Building Trust into e-Services Why?

“The UK is the largest e-commerce market in Europe ... *Value added in ITEC sectors accounts for nearly a third of GDP growth*”

[UK On-line annual report 2000]





# Building Trust into e-Services Why?

**BUT ... major concern about the trustworthiness of e-Services**

**"While internet penetration is growing rapidly, all the evidence shows that consumer confidence in the e-commerce medium itself and in cross-border transactions remains low.**

**E-commerce, therefore, is an insignificant part of final consumption within the European Union – significantly below 1% of total retail sales."**

*[David Byrne, European Commissioner for Health and Consumer Protection]*



# Building Trust into e-Services Why?

“Despite the presence of effective base technologies, there remains a need for further innovation before trust can be managed efficiently at the service level.”

**“For e-services to achieve the same levels of acceptance as their conventional counterpart trust management has to become an intrinsic part of e-service provision.”**

**Patricia Hewitt - UK minister for e-commerce**



# Trust in e-Services

- motivation for modelling trust
- a model of trust in e-services
- aims for trust management



# A Model of Trust

**Trust of a party A to a party B for a service X is the measurable belief of A in that B behaves dependably for a specified period within a specified context**

Trust is **relative** to a specific service. Different trust relationships appear in different business contexts

The measurement may be **absolute** (e.g. probability) or **relative** (e.g. dense order)

This period may be in the **past** (history), the **duration of the service** (from now and until end of service), **future** (a scheduled or forecasted critical time slot), or always

Dependability is deliberately understood broadly to include  
**security, safety, reliability, timeliness, maintainability**  
(following Newcastle the interpretation [www.dirc.org.uk](http://www.dirc.org.uk))



# A model of Trust

## Subjective beliefs as *opinions*

(Dempster-Shafer, *Theory of evidence*)

(Josang, Subjective Logic)

• **Opinions**  $w^A(p) = (b, d, u, a)$

(belief, disbelief, uncertainty, atomicity)

$$b+d+u=1$$



# A model of Trust

## •Conjunction

$$b(p \& q) = b(p) \cdot b(q)$$

$$d(p \& q) = d(p) + d(q) - d(p) \cdot d(q)$$

$$u(p \& q) = b(p) \cdot u(q) + u(p) \cdot b(q) + u(p) \cdot u(q)$$

|   | b      | d   | u      |
|---|--------|-----|--------|
| b | blue   | red | orange |
| d | red    | red | red    |
| u | orange | red | orange |



# A model of Trust

## • *Recommendation:*

$$\begin{aligned}w^{A,B}(p) &= w^A(i_B) \otimes w^B(p) = \\ &= (b(i_B).b(p), b(i_B).d(p), \dots)\end{aligned}$$

$i_B$  = “B reliably tells the truth”

## • *Consensus*

$$w^A(p) \oplus w^B(p) = \left( \frac{b_1(p).u_2(p) + u_1(p).b_2(p)}{u_1(p) + u_2(p) - u_1(p).u_2(p)}, \dots \right)$$

Independent evidence ( there are alternatives)



# Trust in e-Services

- motivation for modelling trust
- a model of trust in e-services
- aims for trust management

# Trust Management

**Trust Management aims to maximise trust while minimising risk.**

The total process of identifying, controlling and minimising the impact of deception and failure in trust.

Analyses threats and trust inclinations while supporting the formation of dependable intentions and controlling dependable behaviour.



**Trust management subsumes and relies on risk analysis and risk management.**

“a unified approach to specifying and interpreting security policies, credentials, relationships [which] allows direct authorization of security-critical actions”

-- **Blaze, Feigenbaum & Lacy 1998 [AT&T POLICYMAKER]**



# Trust

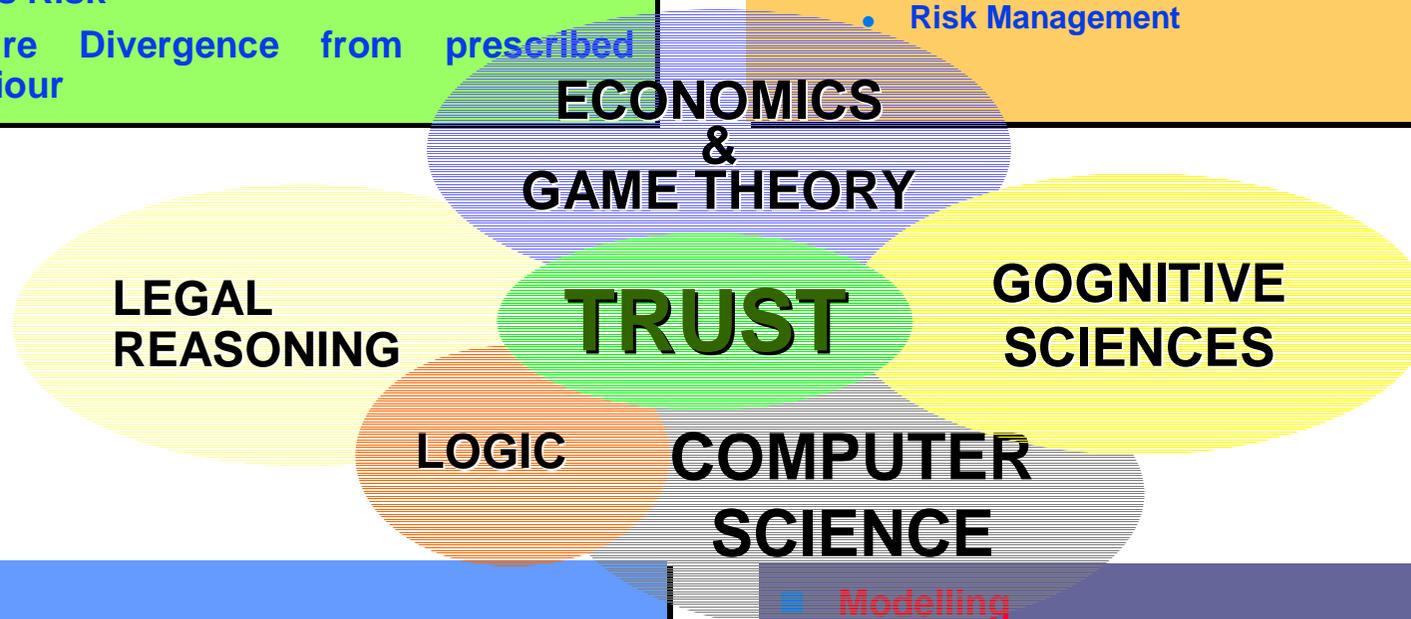
## Future Work

### ■ Analysis

- Assess Dependability
- Assess Risk
- Measure Divergence from prescribed behaviour

### ■ Management

- Policy Oriented Management
- Contract Management
- Risk Management



### ■ Logic

- Belief Formation
- Subjective Reasoning
- Legal & Deontic Reasoning
- Conflict Resolution

### ■ Modelling

- Intentional modelling
- Policy specification
- Business Process Modelling
- System Modelling



# On the Semantics of Information Hiding

- Do not read this
- Exploring the role of frames in refinement
- Non-interference : Component A does not depend on component B



# On the Semantics of Information Hiding

## Motivation

Simple examples of the usefulness of information hiding

## Informal Treatment

Three interpretations of “Do not read this”

## Formal Semantics

Substitutions with read and write frames

## Refinement

“Refinement does not preserve information hiding”

## Reflections

Examples revisited, Conclusions, Future work

# Motivation





# Examples

**Is  $x:=x$  the same as skip ?**

- $wp(x:=x)P = wp(\text{skip})P$
  - Dunne ZB2002>... but  $x:=x+1 \parallel \text{skip}$  not same as  $x:=x+1 \parallel x:=x$
- semantics with explicit write frame

**Is  $x:=y-y$  the same as  $x:=0$  ?**

- $wp(x:=y-y)P = wp(x:=0)P$
  - but  $x:=y-y$  may not be well formed if  $y$  should not be read
- semantics which interprets read frames also



# More Examples

- **Read frames and Non-interference**
  - When is  $S||T$  refined by  $S;T$  ?
- **Read frames and Initialisation**
  - Is  $x := x$  a valid initialisation ? (or  $x := x-x$  ?)
- **Read frames and Encapsulation**
  - When does  $x := y$  for  $y : \{1,2\}$  refine  $x : \in \{1,2\}$  ?
- **Read frames and Underspecification**
  - What refines  $x:=c$  for some underspecified constant  $c:\{0,1\}$  ?
- **Read frames and Refinement**
  - When is  $S \sqsubseteq P \implies S$  ?



# Examples

## Read frames and Non-interference

- When is  $S||T$  refined by  $S;T$  ?
- Sufficient: If  $T$  *does not read* any variables written by  $S$ 
  - eg  $x:=3 ; y:=4$  but not  $x:=3 ; y:=x$
  - Not necessary: e.g.  $x:=3 || y := x-x$  or  $x:=y-y || y:=x$
- Semantically: If  $T$  *does not depend on* any variables *changed* by  $S$
- How is this justified formally ?
  - If  $????$  then  $S||T \sqsubseteq S;T$  ---- to be done

# Informal Treatment





# An operation in 4 parts

**(F,R,W,S)**

- F - the frame of all variables in scope
  - R - the subset of F which can be read
  - W - the subset of F which can be written
  - S - the body of the substitution
- Do we require  $R \supseteq W$  ?



## 4 Semantic models

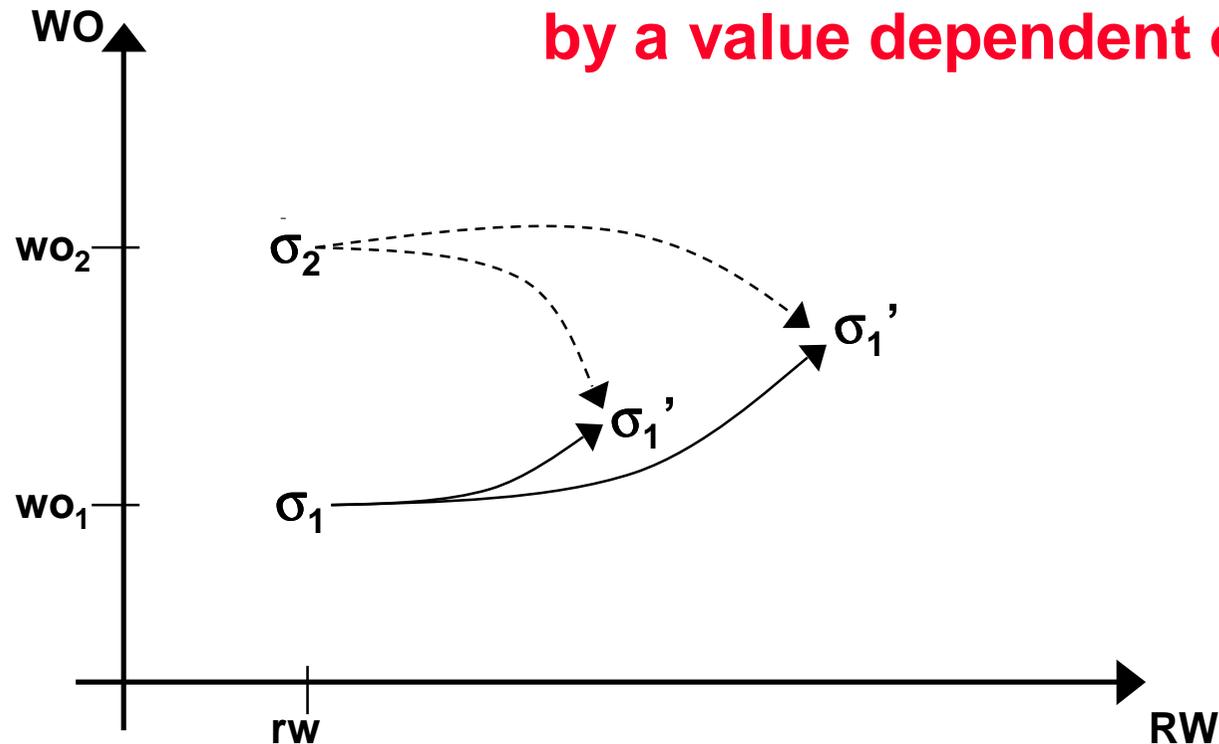
### Will give 4 relational semantics models

- $M_0$      $M_R$      $M_W$      $M_{RW}$ 
  - $M_0$  the usual semantics – no frames
    - $M_0 = \{(\sigma_1, \sigma_2) : \Sigma x \Sigma \mid \neg[S] \neg(\sigma_1 = \sigma_2)\}$
  - $M_W$  writes only W, reads all – simple
    - $M_W = M_0 \cap \Xi_{F-W}$
  - $M_R$  reads only R, writes all – to be defined
- $M_{RW} = M_R \cap M_W$  - separation of concerns
  - $M_R$  introduces “write-only” variables ( $F = RW \times WO$ )
  - perhaps WO vars are useful as “partial” substitutions , cf miracles
  - ... but what do they mean ?



# write-only (1 of 3) Must-write Semantics

Write only variables *must* be written  
by a value dependent only on reads



$$\forall \sigma_1, \sigma_2, \sigma_1' \bullet \sigma_1 \Xi_R \sigma_2 \wedge \sigma_1 \mathbf{M}_R \sigma_1' \Rightarrow \sigma_2 \mathbf{M}_R \sigma_1'$$

Initialisation of variables:  $x := E$  where  $x = W$  and  $\text{vars } E \subseteq R$

... but does not combine with  $M_W$

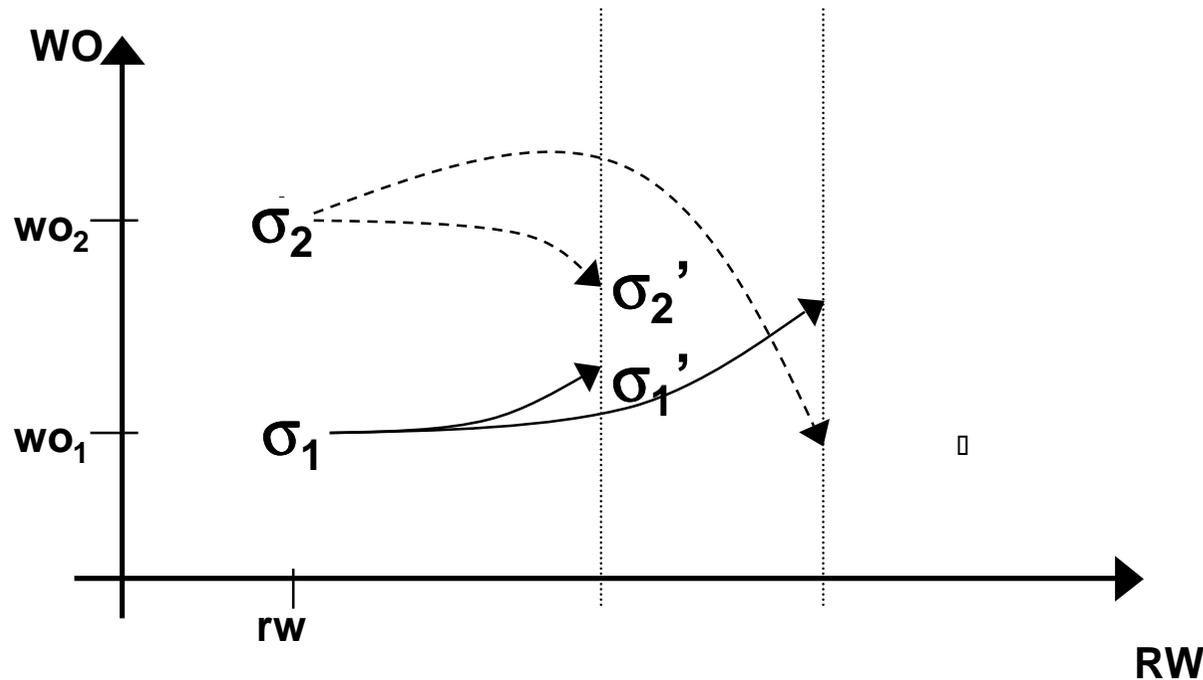


## *write-only (2 of 3) May-write Semantics*

- **Must-write disallows skip**
  - as skip allows old value to persist
- **May-write reintroduces skip**
  - “writes  $x$  or  $\text{skip}_x$ ”
  - outcome depends on  $x$  only if  $x$  unchanged
- **Not elegant and not what we want.**



# write-only (3 of 3) non-interference Semantics



$$\forall \sigma_1, \sigma_2, \sigma_1' \bullet \sigma_1 \Xi_R \sigma_2 \wedge \sigma_1 \mathbf{M} \sigma_2 \Rightarrow \exists \sigma_2' \bullet \sigma_1' \Xi_R \sigma_2' \wedge \sigma_1' \mathbf{M} \sigma_2'$$

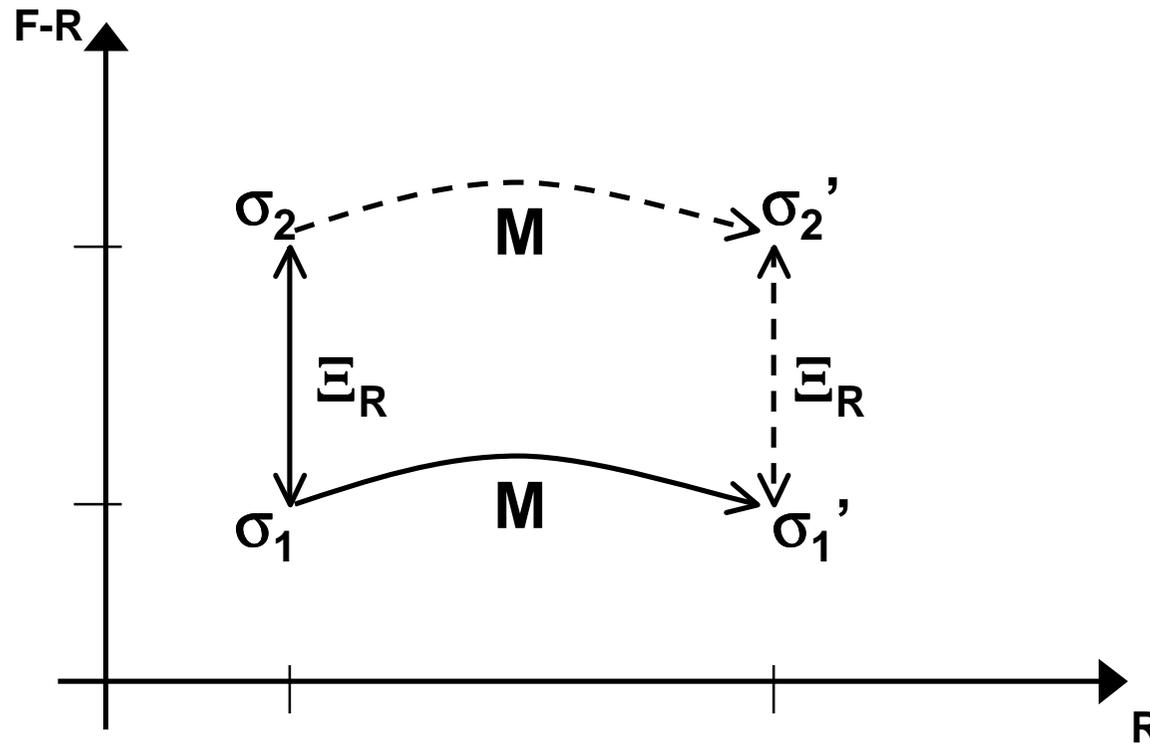
**Allows skip and others which do not depend on un-read vars**

- final values of read variables depend only on read variables
- no info flow from unread to read

**Adding no-change of un-write vars gives non-int result**



# write-only non-interference Semantics (cont)

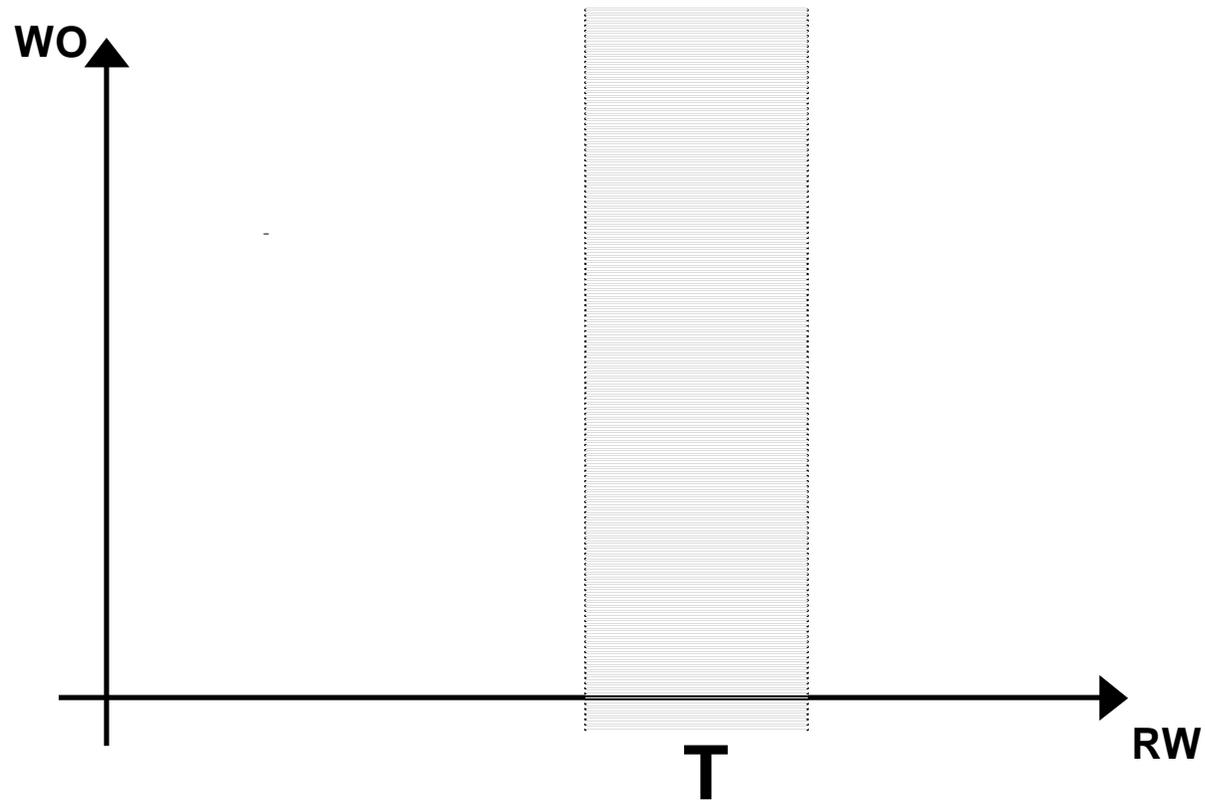


$$\bar{E}_R ; M \subseteq M ; \bar{E}_R$$

$M_R$  is largest subrelation of  $M_0$  st  $\bar{E}_R$  is a bisimulation on  $M_R$



# Termination Semantics



- **T is a cylinder in state space**
- $\Xi_R(|T|) \subseteq T$

# Formal Semantics





# Concrete Syntax

|            | <b>subst</b>    | <b>reads</b>      | <b>writes</b>       |
|------------|-----------------|-------------------|---------------------|
| skip       | skip            | { }               | { }                 |
| assign     | $x := E$        | vars E            | {x}                 |
| precond    | $P \mid S$      | vars S U reads S  | writes S            |
| guarded    | $G \implies S$  | vars G U reads S  | writes S            |
| sequential | $S ; T$         | reads S U reads T | writes S U writes T |
| bdd choice | $S \parallel T$ | reads S U reads T | writes S U writes T |
| parallel   | $S \parallel T$ | reads S U reads T | reads S U reads T   |
| set_reads  | $R^S$           | R                 | writes W            |
| set_writes | $S^W$           | reads S           | W                   |
| ...        |                 |                   |                     |

- **set\_reads (writes) overwrites frame; expands or contracts**
- **Do we require  $R \supseteq W$  ?**



# Abstract Syntax

## **(F,R,W,S)**

- **F** - declares and binds all variables in scope
- **R**  $\subseteq$  **F** – the variables which can be read by an implementation
- **W**  $\subseteq$  **F** – the variables which can be written by an implementation
- **S** - the substitution



# Semantics

Define three predicates on (T,M) pairs:

$$\text{subst}_{(F,R,W,S)}(T,M) = T \supseteq [S]\text{true} \wedge M \subseteq \neg[S]\neg(\sigma=\sigma') \quad \text{No mention R,W}$$

$$\text{writes}_{(F,R,W,S)}(T,M) = M \subseteq \Xi_{F-W} \quad \text{No mention R}$$

$$\text{reads}_{(F,R,W,S)}(T,M) = \Xi_R(|T|) \subseteq T \wedge \Xi_R;M \subseteq M; \Xi_R \quad \text{No mention W}$$

Take all (T,M) pairs which satisfy them:

$$\mathbf{S} = \{ (T,M) \mid \begin{array}{l} \text{subst}_{(F,R,W,S)}(T,M) \wedge \\ \text{reads}_{(F,R,W,S)}(T,M) \wedge \\ \text{writes}_{(F,R,W,S)}(T,M) \end{array} \}$$

Take the unique least refined of these:

$$[[ (F,R,W,S) ]]_0 = \iota (T,M) \in \mathbf{S} \cdot \forall (T_i, M_i) \in \mathbf{S} \cdot T \subseteq T_i \wedge M \supseteq M_i$$



# Theorem: Non-interference 1

$$\begin{array}{c} R_1 \supseteq W_1 \wedge R_2 \supseteq W_2 \\ R_1 \cap W_2 = \{\} = R_2 \cap W_1 \\ \hline [[S_1 \parallel S_2]]_0 = [[S_1; S_2]]_0 = [[S_2; S_1]]_0 \end{array}$$

Proof – subsumed by later result

... but why require  $R \supseteq W$  ?

... and what about refinement ?

# Refinement





# Refinement Semantics

Take set of all *frame-respecting* refinements as semantics:

- $[[ (F,R,W,S) ] ]_1 = \mathbf{S}$

Refinement becomes subset:

- $(F_1, R_1, W_1, S_1) \sqsubseteq_1 (F_2, R_2, W_2, S_2) = \mathbf{S}_1 \supseteq \mathbf{S}_2$

Retrieve  $[[ \ ] ]_0$  by  $\cap$  and  $\mathbf{U}$  on  $\mathbf{S}$

- $[[ (F,R,W,S) ] ]_0 = ( \bigcap_{(T,M) \in \mathbf{S}} T , \mathbf{U} M )$

New definition admits fewer refinements

Non-read respecting refinements are pre-filtered out

- ditto writes

Refinement *with frames* “encoded” into op’s semantics



## Theorem: Non-interference 2

For  $S_i = (F, R_i, W_i, s_i)$

$$\begin{array}{c} R_i \supseteq W_i \\ R_1 \cap W_2 = \{\} = R_2 \cap W_1 \\ S_i \sqsubseteq_1 T_i \\ \hline T_1 ; T_2 = T_1 \parallel T_2 = T_2 ; T_1 \end{array}$$

**Proof requires:**

- 4 frame properties reads( $R_i, M_i$ ) and writes( $W_i, M_i$ )
- non-interference conditions  $F - W_2 \supseteq R_1$  and  $F - W_1 \supseteq R_2$
- read respecting refinement
- and  $R_i \supseteq W_i$  (again)



# Reflections



# Examples revisited

## Read frames and Non-interference

- see last result

## Read frames and Initialisation

- eg  $\text{inv } x=y \text{ init } (\{x,y\}, \{\}, \{x,y\}, x:=y)$

## Read frames and Encapsulation

- Can we underpin the hiding conditions?

## Read frames and Underspecification

- $(\{x\}, \{\}, \{x\}, x \in \{1,2\})$

## Read frames and Refinement

- new hypotheses in proof rules for refinement ...



# Examples revisited

## ■ Read frames and Refinement

- strengthen reads                      and                      strengthen writes

$$\frac{R_1 \supseteq R_2 \supseteq W}{(F, R_1, W, S) \sqsubseteq (F, R_2, W, S)} \qquad \frac{W_1 \supseteq W_2}{(F, R, W_1, S) \sqsubseteq (F, R, W_2, S)}$$

reads proof requires:  $M \subseteq \Xi_{F-W} \subseteq \Xi_{R_1-R_2}$     requires  $R_i \supseteq W$

- Strengthen substitution

$$\frac{\Xi_R (| G |) \subseteq G}{(F, R, W, S) \sqsubseteq (F, R, W, G \implies S)}$$

proof requires  $G$  respects read frame



## So what about $R \supseteq W$ ....

**Why needed  $R \supseteq W$  for the proofs?**

- elsewhere reads, writes, and subst orthogonal

**Strengthen reads predicate to**

- $\text{reads}'_{(F,R,W,S)}(R,M) = \forall S \supseteq R \bullet \text{reads}(S,M)$ 
  - no info flow between unreads

**Gives more general form of non-int result....**



## Theorem: non-interference 3

$$\frac{\text{reads}'(R_i, M_i) \wedge \text{writes}(W_i, M_i)}{W_1 \cap (R_2 \cup W_2) = \{\} = W_2 \cap (R_1 \cup W_1)}$$
$$M_1; M_2 = M_2; M_1$$

**Proof is “satisfyingly precise”**

Details in FME'02 paper



→ **The End**